

Metacognition of Junior High School Students in Mathematics Problem Solving Based on Cognitive Style

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Abstract: The aim of this study was to explain junior high school students' metacognition with Field Independent (FI) and Field Dependent (FD) cognitive styles in mathematics problem solving. The statistical population of this study was all junior high school students in the Sragen regency in the 2018/2019 academic year. Purposive sampling was used to pick the subjects. Different instruments such as the cognitive style tests, the problem-solving exercises, and the interview guidelines were used to reach the research purpose. Moreover, time triangulation was used to ensure data validity. The data has been processed through four stages of data collection, data reduction, data presentation, and conclusion. The results indicated that the students who have field-independent cognitive styles indicated high self-confidence and the ability to solve the problem correctly. They were also able to do planning steps, make important decisions for themselves, and solve the problem properly. However, students with FD cognitive style are completely confident that their answer is correct, but they have not yet clarified the steps they need to solve their problems. They also have not yet focused on their shortcomings in mathematics problem-solving. Hence, their task results in mathematics problem-solving have incorrect answers.

Keywords: Cognitive style; Mathematics problem solving; Metacognition

1. Introduction

Solving mathematics problem is the basis for students to settle on studying mathematics (Singh, 2009; Santos-Trigo, 2020; Jiang, Liu, Star, Zheng, Wang & Hong, 2020). Through mathematics lessons, students can develop their abilities to build mathematical knowledge and reflect on the mathematical

problem-solving process (Singh & White, 2006; Anggo, 2011). Undeniably, problem solving is the action or attempt made by individuals to find the best solution to the problem. It is closely related to the process of thinking (Flavell, 1979; Savic, 2016). It means that to solve an individual problem needs a series of processes such as thinking strategy in solving the problem and do control in every action so that the right problem solving is acquired (Jiang et al., 2020).

The well-organized solution has to be used to get an optimal outcome in problem-solving. Polya (1973) argues that problem-solving consists of four steps, that are (1) recognizing the problem, (2) developing a plan, (3) executing the plan, and (4) looking back. Through systematic steps and procedural, the individual will get the right problem-solving. They will also construct a well-structured mindset to face the problem that needs to be solved.

Metacognition is an essential aspect of problem-solving. It is the ability to track, control, and assess one's thought, as well as the experience and understanding of one's cognitive processes (Flavell, 1979). It is in line with the study of Radmehr & Drake (2017) which explained that metacognition is a process of personal thinking about their way of thought in building a strategy to solve the problem. In fact, mathematical problem solving involves a lot of metacognition. This is because multi-step problem solving in mathematics necessitates the coordination of a number of cognitive tasks and experiences, such as the use of pre-existing knowledge (facts, principles, and competencies) and problem-solving techniques (such as analysis) (Tzohar-Rozen & Kramarski, 2014). Metacognition involved two aspects, such as metacognitive knowledge and metacognitive experience (Flavell, 1979). Furthermore, Flavell explained that metacognitive knowledge is a personal knowledge of himself and others as a cognitive agent about tasks, actions, or techniques and how different intellectual efforts influence these experiences. Jacobs & Paris (1987) further categorizes three hierarchically organized knowledge: declarative, procedural, and conditional knowledge. Declarative knowledge is a knowledge of what is understood about something being debated. Procedural knowledge describes the mechanism of perception and thought. Conditional knowledge addresses the circumstances and tasks before one knows why the process is going and how the situation is going.

Jacobs & Paris (1987) suggest that metacognitive experience requires efforts of preparing, tracking, and assessing the operation. Preparing is the willingness of individuals to be prepared for their learning experiences. Activities in the plan's execution include developing the best approach and availability of an information number from reliable sources that can affect results. Tracking is the participant's capacity to monitor the learning process and items related to the learning process, such as monitoring the completion steps to find the right response. Evaluation is an individual's ability to determine his learning strategy's success, whether he will change his learning strategy, be aware of the situation, and end the activity (Kireeva, Slepenskova, Shipunova, & Iskandaryan, 2018). In the research of Kireeva, Slepenskova, Shipunova, & Iskandaryan (2018), the researchers carried out a pre-survey task to know the potential of junior high school students 1 Miri in mathematics problem solving. The researchers in comparative content performed a task-based interview with the students. The pre-survey results showed that students have difficulty deciding the completion plan so that their task resolution is an incorrect response. This issue demonstrates that the individual's knowledge of planning, executing, and assessing the task would impact its outcome.

Based on the statement above, metacognition is an integral part of mathematics problem-solving. Metacognition helps students develop problem-solving techniques before choosing the right answer (Chimuma & Iris, 2016). Kuzle (2013) also explains that metacognition allows people to recognize the problem that needs to be resolved, look back at the real problem, and accomplish the goal or solution. Obviously, metacognition is important since this is an individuals' knowledge of doing helpful things rather than doing negative things to solve mathematics problems.

Among them, many factors affect metacognitive knowledge and metacognitive experience in solving mathematics problems; however, the major one is cognitive style. Cognitive style is a consistent way to achieve stimulus or information, a way of remembering, thinking, and solving problems (Sudia & Lambertus, 2017). In line with this, Hooda & Devi (2017) sees cognitive style as the favorite way for the student to think, process, and understand information. So, cognitive style means the character owned by an individual to process data, thought, remember, and solve problems consistently and long-lasting.

The cognitive style tends to be individual for everyone and differentiate individual one from another. So, it can indicate that the cognitive style of one individual with another is different. This

difference does not show the level of intelligence or a specific skill because individuals who are different in cognitive style cannot be predicted to have the same intelligence and ability (Jantan, 2014). It means that individuals with different cognitive styles have significant differences of tendency related to intelligence and ability.

The cognitive style used as a reference in this study is Field Independent (FI) and Field Dependent (FD) (Witkin, Moore, Goodenough & Cox, 1977). An individual with a cognitive FD style prefers to consider one pattern as a whole. It is difficult to concentrate on one element from one case or to analyze the pattern to another. On the contrary, the individual with cognitive FI style can achieve more separate parts from the whole pattern and analyze the pattern into its components. Individuals with FI cognitive style tend to learn independently by formulating their learning objectives to be achieved and more concerned with motivation and strengthening from him-self. Based on those descriptions, a student's metacognition in mathematics problem solving is important. Therefore, it is necessary to analyze the Junior High School students' metacognition in solving math problems seen from the FI and FD cognitive styles. As mentioned earlier, in this study, it was tried to explain the metacognition of junior high school students with FI and FD cognitive styles in mathematics problem-solving.

2. Research Methods

The type of this research is based on its qualitative approach with a case study strategy. The subject of this research was all junior high school students in the Sragen regency for the academic year 2018/2019. The selected subjects were chosen by purposive sampling. The selection of subjects is intended to enable researchers to choose the individual who is the subject of research and understand the phenomena, which are the focus of research (Creswell, 2012). Firstly, the researcher chooses six students, i.e., three students who had FI cognitive style and three students with FD cognitive style. The category of cognitive style was obtained based on the cognitive style test developed by Witkin et al. (1977).

Other methods for this study were the topic of mathematics on comparative material and interview guidelines. The mathematics problem for the subjects during the in-depth interview is presented as follows.

2.1 Task I of mathematics problem-solving.

If 120 workers can complete the building in 8 months, how many additional workers will complete the building in 6 months?

2.2 Task II of mathematics problem-solving.

If 150 workers can complete the apartment in 6 months, how many additional workers are needed to complete the apartment in 4 months?

Research data were collected through in-depth interviews and recording of students' activities. Data validity for this research used a time triangulation. Satori & Komariah (2013) explain that the time triangulation test is carried out by gathering data at various times. The researcher performed two task-based interviews, which were held at different times. We use interactive analysis to analyze the research result. This means that data reduction, data presentation, and conclusion are reciprocal (Budiyono, 2017). The research methods for this research can be shown in Figure 1.

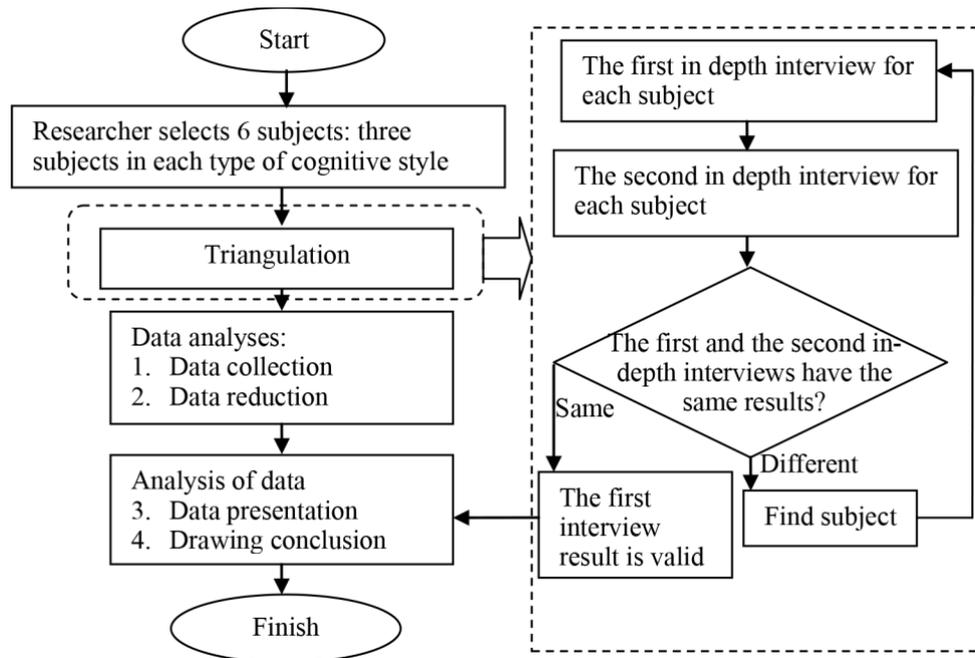


Fig. 1 Flow map of the methods of analysis

As shown in Figure 1, in the first step, the researchers select six students (three students who had FI cognitive style and three students who had FD cognitive style). After that, as a second step, two different interviews should be done. In the next step, it should be evaluated that the first and second interviews have the same results or not. If the results are the same, in this way, we can say that the results of the first interview results are valid.

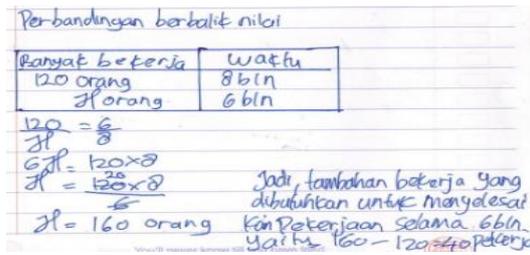
3. Results

Research subjects were selected based on the researcher's cognitive style tests and observation to subjects based on FI and FD cognitive style characteristics directly. In this research, the cognitive style test used the Group Embedded Figure Test (GEFT) developed by Witkin et al. (1977). It consists of 3 steps with total processing time in 15 minutes. The first step conducted as an exercise consists of 7 questions, while the second and third steps consist of 9 questions. Cognitive style classification was obtained based on the score from GEFT. Students with a score of less than 10 are students with FD cognitive style, while students with a ten score or more belong to FI cognitive style. This research obtained FI₁ subjects with a score of 15, FI₂ subjects with a score of 14, FI₃ with a score of 13, FD₁ with a score of 9, FD₂ with a score of 8, and FD₃ with a score of 8. The outcome of the tasks and the explanation of the metacognition for each subject are described as follows.

3.1 Metacognition of Junior High School Students in Mathematics Problem Solving based FI Cognitive Style

3.1.1 Recognizing the Problem

Subjects can understand the problem by reading the question and seeking the keyword to solve the mathematics problem. The subject grasped the issue by writing a statement inside a task using his own sentences. The interview results with FI cognitive style subjects, when recognizing the problem, are presented as follows (R = researcher; F = field-independent cognitive style subjects).



R₁: Do you understand the problem?
 F₁: Yeah, I do that. We have ordered the estimate of additional workers needed to complete the building in 6 months.
 R₂: What are you doing to understand the problem given?
 F₂: Reading the question at first, knowing the question, and searching for a concept related to the lesson material

Fig. 2 The product of the task of FI cognitive style subjects on understanding the problem step

Data F₁ shows that the subject can understand the problem. The F₂ explains how the subject understands the problem. The subject was able to write statements and explain the task with his or her sentences, as shown in Figure 2.

3.1.2 Developing a plan

The topic was the planning methods used to solve problems based on the similarity between the mission's known formulas. The subject clarified the plan phases by relating the subject's prior experience to the information obtained from the mission. Excerpts from interviews with cognitive FI-style subjects on the creation of a strategy are presented as follows.

R₃: What do you do to solve the problem?
 F₃: I will find many workers needed to complete the building in 6 months, then we can find the additional workers.
 R₄: Why do you plan on it?
 F₄: Because we will find many additional workers are needed to complete the building in 6 months.

Data F₃ shows that the participants understand the steps that have been taken to solve the problem. F₄ results explain the reason for choosing plan F₃.

3.1.3 Executing the plan

Subjects tackle the problems that were necessary for the program. The topic used a technique that was deemed the most effective to solve the problem. The subject was able to accomplish the task correctly. The work of the subject in carrying out the plan can be seen in Figure 3.

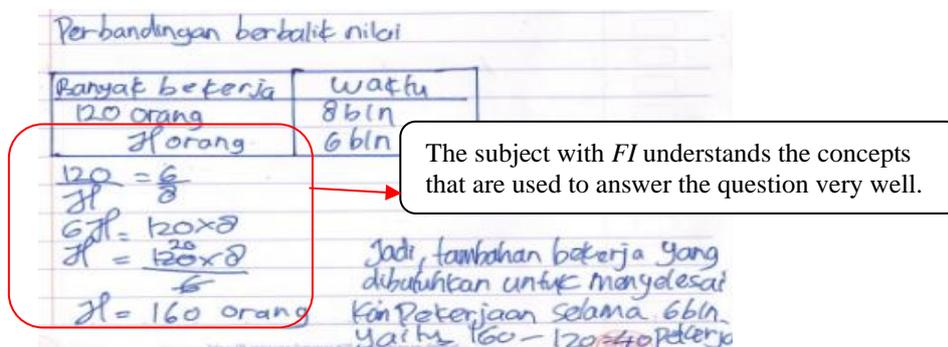


Fig. 3 Task product of subject FI cognitive style when executing the plan

3.1.4 Looking back

Subjects verified the answer by looking back at the results of the mission. The subjects decide that the results are appropriate with the questions, and the examinations of completion result have been correct. Excerpts from interviews with subjects with cognitive FI type when looking back are presented as follows.

R₅: Are you certain that the answer that you write is right?

F₅: Yes, I'm certain.

R₆: Why are you completely sure that the answer you are writing is correct?

F₆: I am entirely confident that my answer is right because the formula and the equation are correct.

R₇: Does your result answer what is asked by the task?

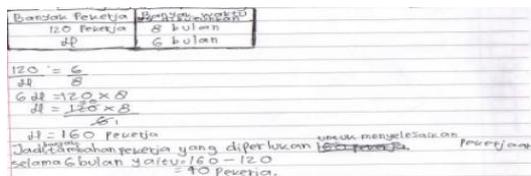
F₈: Sure, because I did it based on the current data and the mission's issue.

The data F₅ and F₈ indicate that the subject is certain for his right answer. The positive explanation for the correct answer is clarified by data F₆.

3.2 Metacognition of Junior High School Students in Mathematics Problem-Solving based on the Cognitive FD-Style

3.2.1 Recognizing the Problem

The topic grasped the issue by writing what is known in the task with its sentences. The findings of an interview with cognitive FD-style subjects on understanding the problem are summarized as follows (R = researcher; D = field-dependent cognitive style subjects).



Banyak Pekerja	Banyak Waktu
120 Pekerja	6 bulan
120 = 6	
120 = 6	
6 x 120 = 720	
120 x 6 = 720	
120 = 6	

Jadi dibutuhkan pekerja yang diperlukan 120 pekerja selama 6 bulan yaitu 120 - 120 = 0 Pekerja.

R₁: Do you understand the problem?

D₁: Yeah, I do that. We ordered the number of workers needed to complete the building in 6 months.

R₂: What are you doing to understand the problem given?

D₂: Reading the question first, grasp the idea of contrast and the question.

Fig. 4 The task result of FD cognitive style subjects when understanding the problem step.

We can see that the subject can understand the problem given, as shown in D₁. The D₂ data explains why the subject does what he does when he understands the problem. The subject was able to write task statements in his or her sentences, as shown in Figure 4.

3.2.2 Developing a plan

The topic was designing a strategy by considering stages that would be used in solving the problem. Still, they were unable to mention detailed steps used in solving a mathematics problem. Excerpts from interviews with FD cognitive style subjects on the creation of a strategy are presented as follows.

R₃: What are your intentions to solve the problem?

D₃: Write statements of the task in the table, then find how many workers needed to complete the building in 6 months.

R₄: Why do you plan it?

D₄: Because we should find many workers needed to complete the building in 6 months.

Based on data D₃, the subject knows the steps taken to solve the problem, although the answers were still not correct. D₄ explains why the subject chooses Plan D₃.

- (3) in evaluation activities: subjects decide whether the data obtained about what they have known and asked and the statement they made by themselves is already correct or not.

When devising a plan, they will practise the following:

- (1) in planning activities: the subjects find out the relationship between data and the questions, usable formulas, and the considerations of the initial knowledge that can solve the problem;
- (2) in monitoring activities: the subjects carry out and ask the question to themselves about the relationships between the data and the questions, choose the usable formulas for the data, and ask themselves what background knowledge should be used; and
- (3) in evaluation activities: the subjects decide whether the relationships between the data and the questions already correct and the formulas chosen have been suitable for use.

When carrying out the plan, they will do the following:

- (1) in planning activities: the subjects think what steps of the settlement will be done correctly, make improvements on the steps of settlement if they found errors;
- (2) in monitoring activities: the subjects ask by themselves about the settlement steps, whether the answers to the questions have been through the right steps, how to precede the completion steps and to carry out or monitor the remedial steps if they found errors; and
- (3) in evaluation activities: the subjects decide that the settlement steps and the questions have been done in the right step.

When looking back into the problem, they will do the following:

- (1) in planning activities, the subjects think to check the suitability between question and answer being asked and whether the problems may be solved in different ways;
- (2) in monitoring activities: the subjects check whether the results have been appropriate and they ask to themselves whether the problem can be solved in different ways or not; and
- (3) in evaluation activities: the subjects decide that the results are appropriate with the questions and the examinations of completion result have been correct, and they also decide whether the last to the beginning results have the same data.

Thus, based on the procedures used, they believe that their problem-solving results have been correct (Darmawan & Suparman, 2019). From the procedures practised by them, the researchers have identified them have adopted a field-independent cognitive style. These subjects decide that their answers are appropriate with the questions, and the examinations of completion result have been correct, so they can carry out the preparation steps correctly to solve the problem properly. The statement was the same as Rahman & Ahmar's (2017) statement that students with FI cognitive style can easily achieve more separate parts from the whole pattern and analyze patterns into its components to solve the problem easily. We can conclude that subjects who have FI cognitive style appear to be autonomous and have high self-confidence to make important decisions for themselves (Ulya & Kartono, 2014).

The research result towards a subject with a field-dependent cognitive style suggests that the subject involved declarative and procedural knowledge, but could not optimize conditional knowledge. Declarative knowledge of field-dependent cognitive style subject involves abilities such as capable of evaluating the information known and requested, and can relate their basic knowledge with the information they have from the task. However, conditional knowledge of field-dependent cognitive style subject involves abilities of choosing a formula that can be used in solving the problem, but they cannot explain the reason used for that formula. So, they still not yet find the right answer.

The research finding towards a subject with a field-dependent cognitive style indicates that the subjects involve the use of planning, monitoring, and assessing the problem phase process. When it comes to understanding the problem, they will do the following:

- (1) in planning activities: the subjects consider determining what to do first, comprehending the meanings of questions by reading them repeatedly, and being able to state the problems using their words;
- (2) in monitoring activities: subjects attempt to comprehend what they have learned, the questions that will be asked, and the intent of the questions that they receive; and

- (3) in evaluating activities: subjects evaluate if the data collected regarding what they have learned is correct.

When devising a plan, they will do the following:

- (1) in planning activities: the subjects consider the links between the data and the questions and try to come up with a formula to solve the problems; and
- (2) in monitoring activities: the subjects select formulas that can be applied to the data.

When carrying out the plan, they will practise the following:

- (1) in planning activities: The subjects consider how to correctly complete the steps of the completion, as well as how to improve if mistakes are detected; and
- (2) in monitoring activities: if they notice mistakes, the subjects query themselves about the settlement measures and adopt and track the improving steps.

When looking back into the problem, they will do the following:

- (1) in planning activities: the subjects consider whether the results obtained are sufficient, whether changes can be made in the event of incorrect results, and whether the problems can be solved in different ways.; and
- (2) in monitoring activities: the participants analyse the outcomes to see if they are acceptable.

However, the subjects who have FD cognitive style are certain that their answer is right, but they have not yet explained steps for mathematics problem solving, so their task resulted in incorrect answers (Witkin et al., 1977; Altun & Cakan, 2006). Students with field-dependent cognitive styles find it challenging to concentrate on one aspect of a situation or examine trends in various sections (Firdausy, Setyaningsih & Waluyo, 2019). The results are in accordance with Azlina, Amin, & Lukito (2018), that individuals who have an FD cognitive style do not reflect their weaknesses in mathematics problem-solving probably.

5. Conclusion

The discovery of a subject with a field-independent cognitive style in mathematics problem-solving indicates that these subjects involve declarative information, procedural knowledge, and conditional knowledge. These subjects have a detailed understanding of the problem and they are capable of rapidly applying their specific expertise to the problematic data. Basically, every problem-solving stage includes preparation, tracking, and assessing, according to research findings on a topic with a field-independent cognitive style. When creating a plan, the students search for correlations between data and questions, and identify formulas that can be used, and give considerations of prior experience that can help them solve the problem. These subjects assess whether the data-to-question relationships are accurate and whether the formulas chosen are appropriate for use. Besides, these subjects determine if the settlement steps and questions were completed in the correct order during assessment activities. Overall, students with the FI cognitive style can easily accomplish more separate parts from a larger pattern and break down patterns into their components to solve problems quickly.

On the other hand, subjects with a field-dependent cognitive style are also involved in the problem phase processes of preparation, tracking, and evaluating. When making a strategy, these students think about the relations between the data and the problems and try to come up with a formula to solve the issues. In that, these subjects in monitoring exercises will analyse the results to see if they are appropriate. Overall, these subjects with the FD cognitive style are confident that their answer is correct, but since he has not yet demonstrated how to solve math problems, their task yields incorrect results. Hence, students with field-dependent cognitive styles find it difficult to focus on a particular aspect of a situation or analyse patterns across several parts. Thus, individuals with an FD cognitive style do not show their math problem-solving limitations.

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